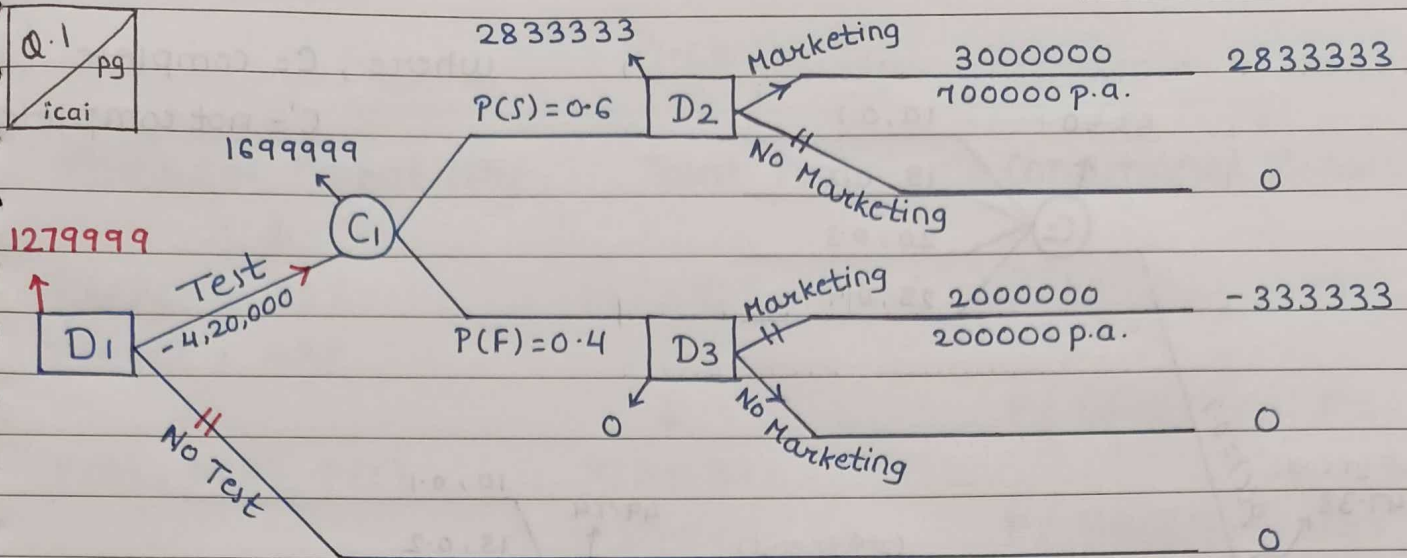




• At D_2 , $\frac{1000000}{0.12} - 3000000 = \underline{2833333} = P.V.$ vs. 0

∴ At D_2 , we will market & $EMV = 2833333$

• At D_3 , $\frac{2000000}{0.12} - 2000000 = \underline{-333333}$ vs. 0

∴ At D_3 , we will not market & $EMV = 0$

• At C_1 , $EMV = 0.6 \times 2833333 + 0.4 \times 0 = 1699999.8$

• At D_1 , $NPV = 1699999 \times -420000 = \underline{1279999}$ vs. 0

∴ At D_1 , we should conduct a test

NPV of this decision = $1279999 \cong 1280000$

Q.2

• At C_2 , Expected Cash Flow

$= 10 \times 0.1 + 15 \times 0.2 + 20 \times 0.3 + 25 \times 0.4$

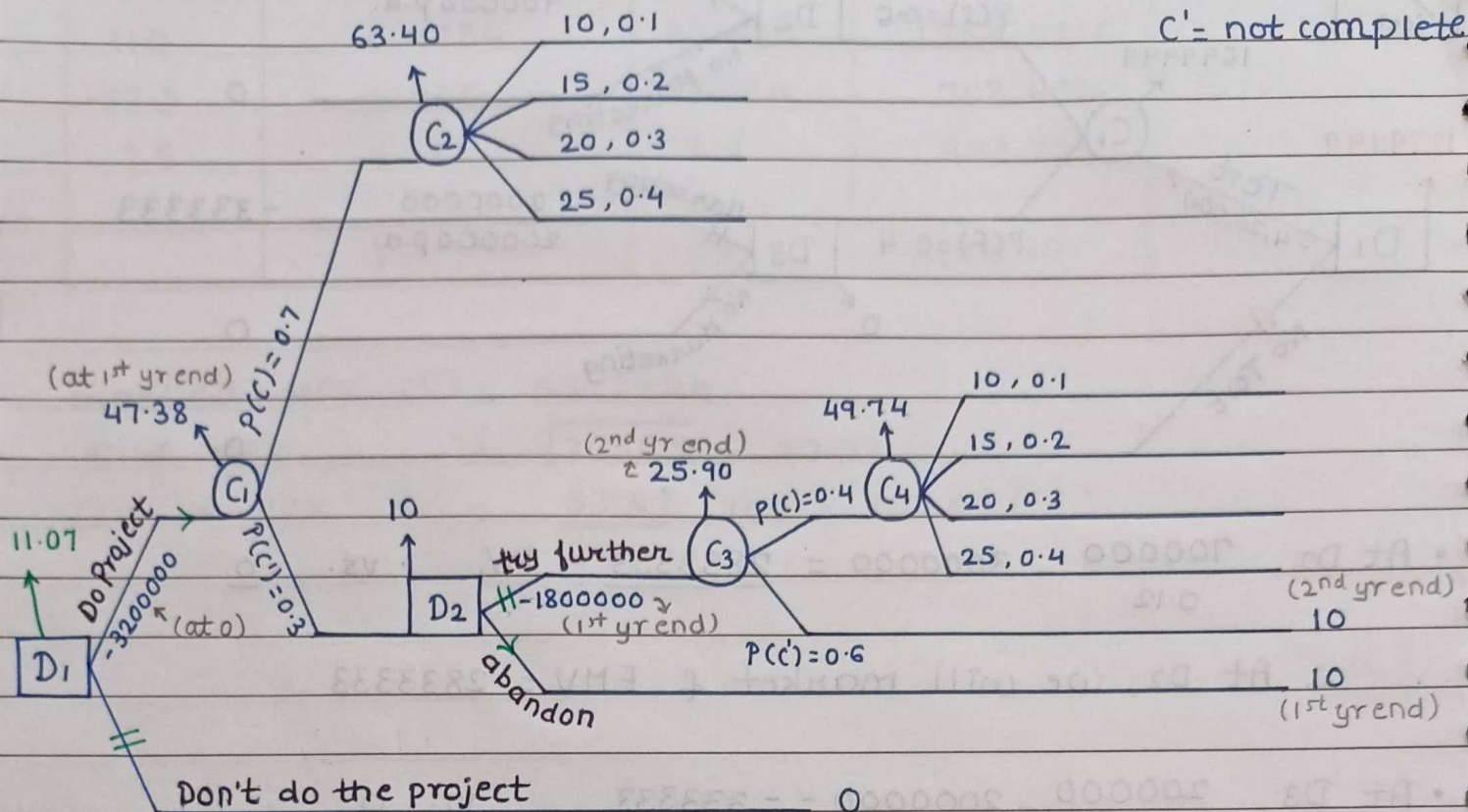
$= 20 \text{ p.a. for 4 years}$

∴ EMV at $C_2 = 20 \text{ PVAF}(10\%, 4) = 20 \times 3.1698 = 63.40 \text{ lakhs}$

• At C_4 , $EMV = 20 \text{ PVAF}(10\%, 3) = 20 \times 2.4869 = 49.74 \text{ lakhs}$

• At C_3 , $EMV = 0.4 \times 49.74 + 0.6 \times 10 = 25.896 \cong 25.90 \text{ lakhs}$

where, C = complete
C' = not complete



- At D_2 , $EMV = \max \left[\left(\frac{25.9}{1.1} - 18 \right), 10 \right] = \max (5.55, 10) = 10$ lakh
- At C_1 , $EMV = 0.7 \times 63.40 + 0.3 \times 10 = 47.38$ lakh
- At D_1 , $EMV = \max \left[\left(\frac{47.38}{1.1} - 32.1 \right), 0 \right] = \max (11.07, 0) = 11.07$

At D_1 , we will start the project by investing 3200000. If it gets completed in year 1, well & good. If it does not get completed in year 1, we will then abandon the project.

*** When to write amt. of cash outflow in D_t**
1) Jisme P.V. diya hua
xehta hai..... Direct
write NPV at the
end point. [Q.1 & Q.3]

2) Jisme CFAT diya
hua hai..... write
amt. of cash outflow
at the point where
it is happening.
[Q.2 - NB pg. 04]

Probability

Marginal Probability

Joint Prob.

Conditional Probability

$$P(+ve) = 52\%$$

$$P(-ve) = 48\%$$

$$P(A), P(B), P(C)$$

$$52\% \times 92\% = 47.84\%$$

$$P(A \cap B)$$

$$P(A \cap C)$$

$$P\left(\frac{\text{success}}{+ve}\right) = 92\%$$

$$P\left(\frac{\text{failure}}{+ve}\right) = 8\%$$

$$P\left(\frac{\text{success}}{-ve}\right) = 25\%$$

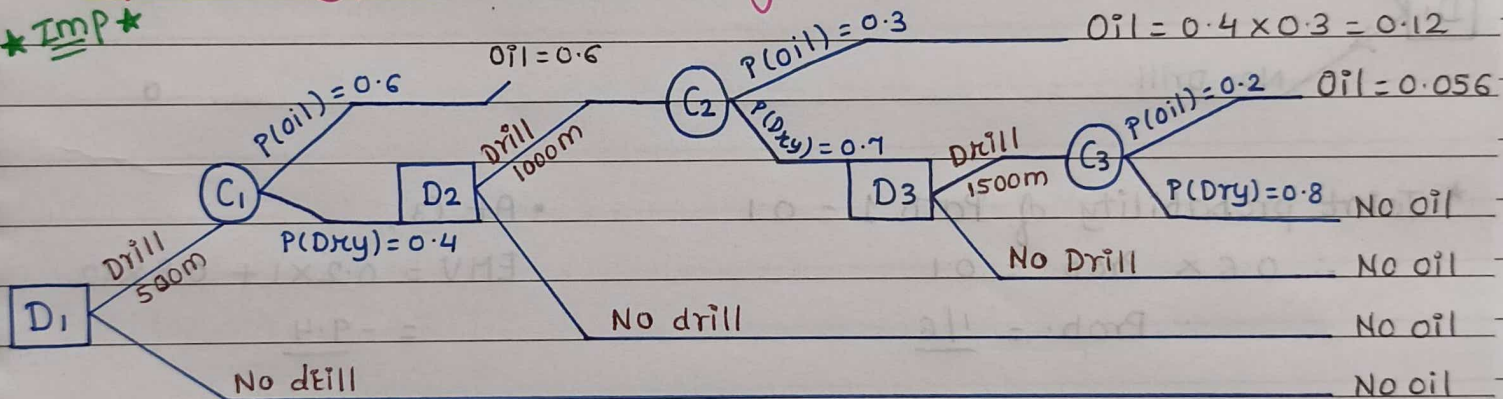
$$P\left(\frac{\text{failure}}{-ve}\right) = 75\%$$

- 92% :- Conditional Prob. - Prob. of success when event has already occurred (+ve test: event).
- 52% :- Marginal Prob. - Prob. of success if the event takes place now.

$$P(B/A), P(C/A)$$

Special Type sum: Drilling

★ Imp ★



$$\text{Oil @ 500} = 0.6$$

$$\text{Oil @ 1000 (Conditional)} = 0.3$$

$$\text{Oil @ 1500 (Conditional)} = 0.2$$

Joint Probability

Cumulative Probability

Oil @ C₁

0.6

0.6 → 1st attempt tak ka chance

@ C₂

0.12

0.72 → 2nd attempt tak ka chance

@ C₃

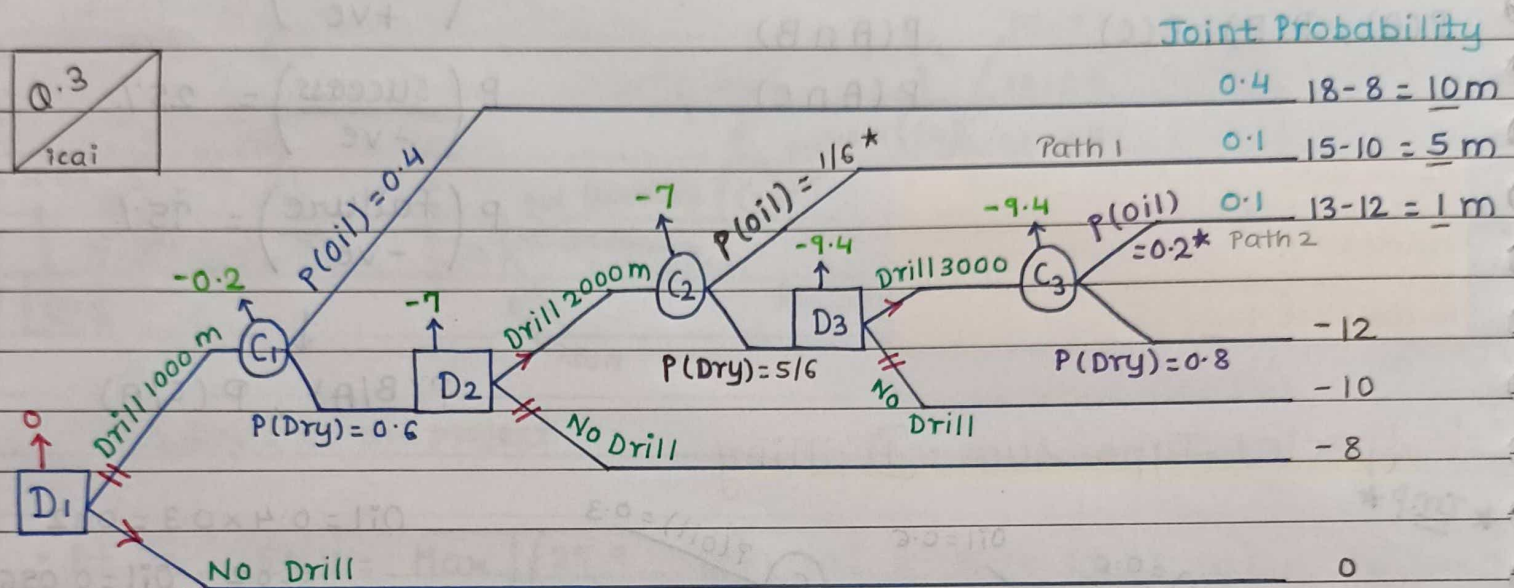
0.056

0.776 → upto 1500 m

Cumulative probability is given then -

→ Step 1 : De-cumulate the same
These are joint probability } Probability of entire path

→ Step 2 : Look at the path properly & you will be able to find conditional probability.



* Joint probability of Path 1 = 0.1
 $\therefore 0.6 \times \text{Prob.} = 0.1$
 $\therefore \text{Prob.} = \underline{1/6}$

• At C3,
 $EMV = 0.2 \times 1 + 0.8 \times (-12)$
 $= \underline{-9.4}$

* Joint probability of Path 2 = 0.1
 $\therefore 0.6 \times 5/6 \times \text{Prob.} = 0.1$
 $\therefore \text{Prob.} = \underline{0.2}$

• At C2,
 $EMV = 1/6 \times 5 + 5/6 \times (-9.4)$
 $= \underline{-7}$

• At D3,
 $EMV = \text{Max}(-9.4, -12) = \underline{-9.4}$

• At C3,
 $EMV = 0.4 \times 10 + 0.6 \times (-7)$
 $= \underline{-0.2}$

• At D2,
 $EMV = \text{Max}(-7, -8) = \underline{-7}$

• At D1, $EMV = \text{Max}(-0.2, 0) = \underline{0}$